Using an Algorithm-Diagram

The top row of cyclic bight-numbers are used for the left to right half-cycles, so they are read by going from left to right. The bottom row of cyclic bight-numbers are used for the right to left half-cycles, so they are read by going from right to left.

The knot is tied in an upwards direction, so the left to right half-cycles cross the codings going from lower left to upper right, ** for under, and ** for over. The right to left half-cycles cross the codings going from lower right to upper left, ** for over, and ** for under.

To make it easier to see we have written a "U" and "O" for the unders and overs above the top cyclic bight-numbers and below the bottom cyclic bight-numbers. Then we can mark them off as we use them.

The best way to see how to use an algorithm-diagram is to do an example. This time we will go all the way through a 7 Part 4 Bight Casa knot. P/B=n +r will be 7/4=1 +3 therefore the remainder (r) equals three (3). Next we have B-r=v, so 4-3=1 and our count value (v) equals one (1). We mark off four (4) dots for the number of Bights we have, and count off our cyclic bight-numbers.

Then we mark off our Casa-Coding marks for seven (7) Parts. Which will be six (6) marks, (P-1).

Going from left to right we write the cyclic bight-numbers above the coding marks. Then going from right to left we write the cyclic bight-numbers under the coding marks.

Now to make the overs and unders easier to see we write (0) or (U) above and below the cyclic bight-numbers for the overs (0) and (U).

U O U O U O 1 2 3 0 1 2 \ / \ / \ / \ / 2 1 0 3 2 1 O U O U O U That ends the set up of our algorithm-diagram for a 7 Part 4 Bight Casa knot. Now we can either tie the 7 Part 4 bight Casa knot or write down the overs and unders for the 7 Part 4 Bight Casa knot into an algorithm-table to be used later.

It might be easier to follow each step or half-cycle with the drawing of the 7 Part 4 Bight Casa knot. Starting on the left side of the algorithm-diagram we do half-cycle #1 which is a free run. Note: All odd numbered half-cycles go from left to right, so we use the top of the algorithm-diagram.

Half-cycle #2 going right to left using the bottom cyclic bight-numbers. We are looking for cyclic bight-number zero (0). Wherever we find a zero (0) we look at the coding to see if it is an under or an over. Where we have the "U's" and "O's" under the cyclic bight-numbers we can just mark it with a line. Here we have an Over (0).

Half-cycle #3 going left to right and looking for cyclic bight-number zero (0). Above the zero (0) we have an "O" for over. Mark it with a line.

Half-cycle #4 going right to left and looking for 1. This time we have two cyclic bight-numbers. Mark both of the ones (1). Now reading right to left we have under (U), over (O), under (U). The last under is crossing under the standing end.

This would be a good time to point out that on half-cycles going right to left, using the bottom of the algorithm-diagram, we can check our selves using the standing part. The crossing made at the cyclic bight-number for that half-cycle will always be crossing the standing part. And, if the cyclic bight-number for that half-cycle is the last crossing on the left it is crossing the standing end.

Half-cycle #5 looking for "1". Mark all the ones (1) and read off the overs and unders going from left to right. Here we have under (U), over (O), under (U).

Half-cycle #6 looking for "2". Reading right to left we have under (U), over (O), over (O), under (U), over (O). We put the two overs together for: U O2 U O

Half-cycle #7 looking for "2". On knots with an odd number of parts the left to right half-cycles will have the same over and under sequence as the right to left half-cycle before it. Which has the same cyclic bight-number.

Half-cycle #8 looking for "3". This is the last half-cycle which is equal to two times the number of bights (2B). We have four (4) bights so 2*4=8 the number of half-cycles in this knot.

We used the cyclic bight-number (i) in order for each of the even half-cycles $(h_{\scriptscriptstyle g})$ and the odd half-cycles $(h_{\scriptscriptstyle g})$. If we needed to know what the cyclic bight-number (i) is for any given half-cycle we can use these formulas:

For even half-cycles $(h_{\rm p})$ it is: $i=(h_{\rm p}-2)/2$

For odd half-cycles (h_0) it is: $i=(h_0-3)/2$

For a better understanding of algorithm-diagrams I recommend reading "The Braiding of Column-coded Regular Knots" by A. G. Schaake and J. C. Turner, both from New Zealand. Georg Schaake is the person that came up with these algorithm-diagrams ad introduced them to me. I will never be able to thank him enough for that and all the other help he has gave me.